

Problem F

Finding Keys

Time Limit: 2 seconds

Wolfgang Amadeus Mozart has too many keys! He has n keys of distinct lengths on his circular keychain. Unfortunately, Wolfgang can only judge whether a key fits into a door by its relative size compared to the keys surrounding it. Let the k -pattern of a key x be the sequence of relative key lengths of the k keys following key x in clockwise order on the keychain. For example, if keychain has keys of lengths 1, 5, 3, 4, 2 in clockwise order, then the 3-pattern of the key of length 3 can be expressed as the string “<>>”, since $3 < 4$, $4 > 2$, and $2 > 1$. Note that the last key of length 2 is followed by the first key of length 1.

Please help Wolfgang determine for each key the smallest k such that the k -pattern of the key is unique (no other key’s k -pattern is the same).

Input

The first line of input contains a single integer n ($2 \leq n \leq 2 \cdot 10^5$), the number of keys on Wolfgang’s circular keychain.

The next n lines each contain an integer between 1 and 10^9 representing the length of one key. The key lengths are given in their clockwise order on the keychain. It is guaranteed that all key lengths are unique.

Output

Output n lines, one integer per line. The i^{th} integer should be the smallest k such that the k -pattern of key i (in input order) is unique among all k -patterns. If there exists no such k , then the i^{th} integer should be -1 .

Sample Input 1

| Sample Input 1 | Sample Output 1 |
|----------------|-----------------|
| 5 | 3 |
| 1 | 4 |
| 8 | 3 |
| 3 | 2 |
| 4 | 4 |
| 2 | |



Sample Input 2

Sample Output 2

| | |
|---|----|
| 4 | -1 |
| 1 | -1 |
| 4 | -1 |
| 2 | -1 |
| 3 | |